

Decay Property of Controlled $M^X/M/1$ model

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Abstract: We consider properties regarding decay parameter and the associated invariant measures for Markovian bulk-arrival Queues with control at idle time. The exact value of the decay parameter for such model is obtained. The corresponding subinvariant and invariant measures are considered and the structure of all the subinvariant and invariant measures are presented.

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